# Powers and direct sums of Operators 

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#### Abstract

If a general theory of multiplicity ever comes to be, it will undoubtedly be the case that for any operator $A$, the operator $A^{(2)}=A \oplus A$ has twice the multiplicity of $A$. As in the case of hermitian operators, it might sometimes be the case that $A^{2}$ has twice the multiplicity of $A$ and sometimes that it does not. Though this talk will not try to begin a general theory of multiplicity, we do explore the relationship between $A \oplus A$ and $A^{2}$. Specifically we study operators $A$ such that $A \oplus A$ and $A^{2}$ are similar, a question that has an intrinsic interest independent of any attempt at multiplicity theory.


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